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## Quasi $m$ -Cayley circulants

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### Abstract

A graph  $\Gamma$  is called a *quasi  $m$ -Cayley graph on a group  $G$*  if there exists a vertex  $\infty \in V(\Gamma)$  and a subgroup  $G$  of the vertex stabilizer  $\text{Aut}(\Gamma)_\infty$  of the vertex  $\infty$  in the full automorphism group  $\text{Aut}(\Gamma)$  of  $\Gamma$ , such that  $G$  acts semiregularly on  $V(\Gamma) \setminus \{\infty\}$  with  $m$  orbits. If the vertex  $\infty$  is adjacent to only one orbit of  $G$  on  $V(\Gamma) \setminus \{\infty\}$ , then  $\Gamma$  is called a *strongly quasi  $m$ -Cayley graph on  $G$* . In this paper complete classifications of quasi 2-Cayley, quasi 3-Cayley and strongly quasi 4-Cayley connected circulants are given.

**Keywords:** Arc-transitive, circulant, quasi  $m$ -Cayley graph.

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## Kvazi $m$ -Cayleyevi cirkulanti

### Povzetek

Grafu  $\Gamma$  rečemo *kvazi  $m$ -Cayleyjev graf na grupi  $G$* , če obstaja vozlišče  $\infty \in V(\Gamma)$  in podgrupa  $G$  stabilizatorja  $\text{Aut}(\Gamma)_\infty$  vozlišča  $\infty$  v grupi avtomorfizmov  $\text{Aut}(\Gamma)$  grafa  $\Gamma$ , tako da  $G$  deluje polregularno na  $V(\Gamma) \setminus \{\infty\}$  z  $m$  orbitami. Če je vozlišče  $\infty$  povezano s samo eno orbito grupe  $G$  na  $V(\Gamma) \setminus \{\infty\}$ , potem je  $\Gamma$  *krepko kvazi  $m$ -Cayleyjev graf na  $G$* . V članku klasificiramo kvazi 2-Cayleyjeve, kvazi 3-Cayleyjeve in krepko kvazi 4-Cayleyjeve povezane cirkulante

**Ključne besede:** Ločno-tranzitiven, cirkulant, kvazi  $m$ -Cayleyev graf.